دائرة الامتحاتات الرسمية
مسابقة في مادة الفيزياء: الماءة

## This exam is formed of three obligatory exercises in two pages Non programmable calculators are allowed

## First exercise ( 7 points) Image given by a converging lens

The aim of this exercise is to verify, by geometrical construction, that a converging lens can't act as a magnifier unless the object is placed between its optical center O and its object focus F .
For this, we consider a converging lens (L) and a luminous object (AB).
I- The object ( AB ) is at $\mathbf{2} \mathrm{cm}$ from ( L )


1) Reproduce, at the given scale, the above document on the graph paper.
2) Specify, on the reproduced figure, the position of the image focus $F^{\prime}$ of ( L ).
3) Show that the focal length of ( $L$ ) is $f=4 \mathrm{~cm}$.
4) a) Construct the image $\left(A_{1} B_{1}\right)$ of (AB) given by (L).
b) Specify the nature of $\left(A_{1} B_{1}\right)$.
c) Determine the size $A_{1} B_{1}$ of the image $\left(A_{1} B_{1}\right)$.

II- The object $(\mathrm{AB})$ is at $\mathbf{6} \mathbf{~ c m}$ from $(\mathrm{L})$

1) Trace, on a new diagram, the image $\left(A_{2} B_{2}\right)$ of (AB) given by (L).
2) $A_{2} B_{2}$ is the size of $\left(A_{2} B_{2}\right)$. Compare $A_{2} B_{2}$ with $A_{1} B_{1}$.
3) Indicate the nature of the image $\left(A_{2} B_{2}\right)$.

## III- Conclusion

In both cases, the size of the obtained image is larger than that of the object, but (L) acts as a magnifier only when the object is between O and F. Justify.

## Second exercise ( 6.5 points) Nature of an electric component

In order to determine the nature of an electric component (D), we connect the electric circuit of the adjacent figure. This circuit includes in series:

- a generator (G) maintaining across its terminals a constant voltage of adjustable value;
- a digital ammeter (A) of negligible resistance;
- the electric component (D).

1) Redraw the diagram of the electric circuit and indicate on it the terminals " $\mathbf{A}$ " and " $\mathbf{C O M}$ " of the ammeter in order to display a positive value.
2) In order to measure the voltage $U_{B C}$ across (D), we use a digital voltmeter.
a) Represent this voltmeter on the redrawn figure indicating its " $V$ " and "COM" terminals.
b) $\mathrm{U}_{\mathrm{PB}}=0 \mathrm{~V}$. Justify.
c) Show that $U_{P N}=U_{B C}$.
d) The voltmeter displays a positive value. Justify.
3) We vary the value of the voltage $U_{P N}$ across the terminals of the generator. The adjacent curve gives the variation of $U_{B C}$ as a function of the current I in the circuit.
a) (D) acts as a resistor. Justify.
b) Determine, graphically, the value of the resistance $R$

 of (D).
c) (D) is replaced by two resistors connected in series and of resistances $R_{1}=30 \Omega$ and $R_{2}=\mathbf{x} \Omega$. Calculate $\mathbf{x}$.

## Third exercise ( 6.5 points) Determination of the density of a liquid

Consider a solid cube ( S ) of side $\mathrm{a}=3 \mathrm{~cm}$. We suspend ( S ) at the lower extremity A of a spring (R). The other extremity of the spring is fixed to a support (adjacent figure).
The stiffness of the spring is $k=10 \mathrm{~N} / \mathrm{m}$. Take $g=10 \mathrm{~N} / \mathrm{kg}$
At equilibrium, $(\mathrm{R})$ is elongated by $\Delta \mathrm{L}=7.3 \mathrm{~cm}$.

1) Determine, using Hooke's law, the magnitude $T$ of the tension $\vec{T}$ of the spring.
2) (S) is at equilibrium under the action of two forces: its weight $\vec{W}$ and the tension $\vec{T}$.
a) Give the condition of equilibrium of (S).
b) Deduce the magnitude $W$ of the weight $\vec{W}$ of (S).
3) Show that the volume of ( S ) is $V=2.7 \times 10^{-5} \mathrm{~m}^{3}$.
4) (S) is now totally immersed in a liquid ( L ) of density $\rho_{\mathrm{L}}$. The magnitude of the tension of the spring becomes $\mathrm{T}^{\prime}=0.41 \mathrm{~N}$. This variation of the magnitude is due to Archimedes’ upthrust $\overrightarrow{\mathrm{F}}$ exerted by the liquid on (S).
a) Give the line of action and the direction of $\overrightarrow{\mathrm{F}}$.
b) Show that the magnitude of $\overrightarrow{\mathrm{F}}$ is $\mathrm{F}=0.32 \mathrm{~N}$.
c) Determine $\rho_{\mathrm{L}}$.


Firstexercise (7 points)

| Part of Q. | correction | Note |
| :---: | :---: | :---: |
| I-1 | Reproduction | 0.5 |
| I-2 | F ' is symmetricof F with respect to $\mathrm{O}+$ figure. | 0.75 |
| I-3 | $\mathrm{f}=\mathrm{OF}^{\prime}=2 \times 2 \mathrm{~cm}=4 \mathrm{~cm}$. | 0.75 |
| I-4-a | Construction + figure | 1.5 |
| I-4-b | Nature : virtual because : object between O and F or Erect w.r.t. the object or in front of (L). | 1 |
| I-4-c | $\mathrm{A}_{1} \mathrm{~B}_{1}=2 \times 1=2 \mathrm{~cm}$. | 0.5 |
| II-1 | Figure. | 0.5 |
| II-2 | $\mathrm{A}_{1} \mathrm{~B}_{1}=\mathrm{A}_{2} \mathrm{~B}_{2}$. | 0.5 |
| II-3 | Nature:real. | 0.5 |
| III | Because when the object is between O and F, the image is erect and larger than the object. | 0.5 |

Secondexercise ( 6.5 points)

| Part of <br> the Q. | correction | Note |
| :---: | :--- | :---: |
| $\mathbf{1 -}$ | Figure : "A" is connected to P and "COM" to B. | $\mathbf{0 . 5}$ |
| 2-a | Figure : V is connected to B and COM to C. | $\mathbf{1}$ |
| 2-b | $\mathrm{U}_{\mathrm{PB}}=0$ V because the ammeter has a negligible resistance. | $\mathbf{0 . 5}$ |
| 2-c | According to the law of addition of voltage: $U_{\mathrm{PN}}=\mathrm{U}_{\mathrm{PB}}+\mathrm{U}_{\mathrm{BC}}+\mathrm{U}_{\mathrm{CN}}=0+\mathrm{U}_{\mathrm{BC}}+0$ <br> Thus $U_{\mathrm{PN}}=\mathrm{U}_{\mathrm{BC}}$ | $\mathbf{1 . 5}$ |
| 2-d | The voltmeter measures $\mathrm{U}_{\mathrm{BC}}=\mathrm{U}_{\mathrm{PN}}>0$. Thus the displayed value is positive. | $\mathbf{0 . 5}$ |
| 3-a | (D) acts as a resistor since its characteristics is a straight line passing through the origin. | $\mathbf{0 . 5}$ |
| 3-b | $\mathrm{R}=\frac{4-0}{0-08-0}=50 \Omega$. | $\mathbf{1}$ |
| 3-c | $\mathrm{R}=\mathrm{R}_{1}+\mathrm{x} \quad$ thus $\mathrm{x}=50-30=20 \Omega$. | $\mathbf{1}$ |

Third exercise ( 6.5 points)

| Part of the $\mathbf{Q}$. | correction | Note |
| :---: | :---: | :---: |
| 1 | $\mathrm{T}=\mathrm{K} \times \Delta \mathrm{l}=10 \times 0.073=0.73 \mathrm{~N}$ | 1.25 |
| 2-a | $\overrightarrow{\mathrm{w}}+\overrightarrow{\mathrm{T}}=\overrightarrow{0}$ or $\overrightarrow{\mathrm{w}}=-\overrightarrow{\mathrm{T}}$ | 0.75 |
| 2-b | $\mathrm{w}=\mathrm{T}=0.73 \mathrm{~N}$. | 0.5 |
| 3 | $\mathrm{V}=\mathrm{a}^{3}=\left(3 \times 10^{-2}\right)^{3}=2.7 \times 10^{-5} \mathrm{~m}^{3}$ | 1 |
| 4-a | $\overrightarrow{\mathrm{F}}\left\{\begin{array}{l} \text { line of action : vertical } \\ \text { direction : upward } \end{array}\right.$ | 1 |
| 4-b | $\mathrm{F}=\mathrm{w}-\mathrm{w}_{\text {app }} \quad$ and $\quad \mathrm{w}_{\text {app }}=\mathrm{T}^{\prime}=0.41 \mathrm{~N}$. Thus $\mathrm{F}=0.73-0.41=0.32 \mathrm{~N}$. | 1 |
| 4-c | $\mathrm{F}=\rho_{\mathrm{L}} \times \mathrm{V}_{\mathrm{i}} \times \mathrm{g} \quad \text { thus } \quad \rho_{\mathrm{L}}=\frac{\mathrm{F}}{\mathrm{Vi} \times \mathrm{g}}=1185.18 \mathrm{~kg} / \mathrm{m}^{3} .$ | 1 |

